

# Chi-Nu Measurement of the $^{235}\text{U}$ and $^{239}\text{Pu}$ Prompt Fission Neutron Spectra

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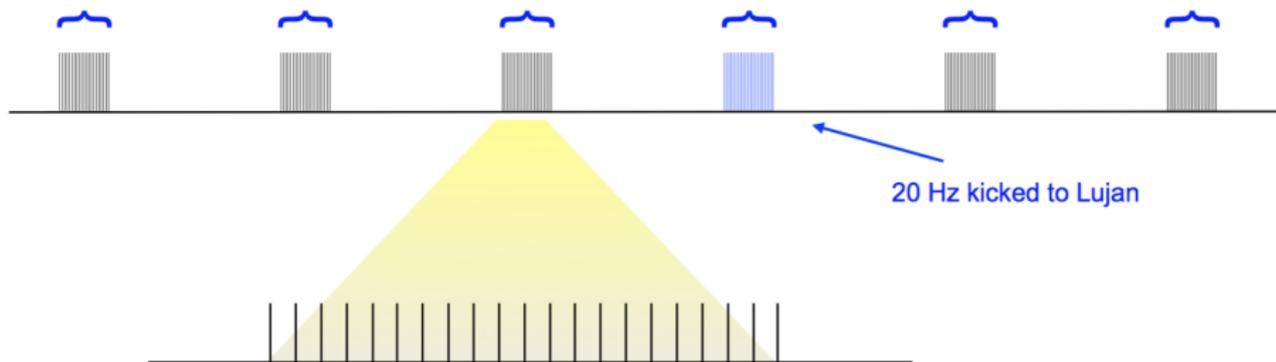
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# LANSCE Beam Structure

**Macro-pulses are typically  $\sim 625 \mu\text{s}$  wide and occur at 120 Hz**

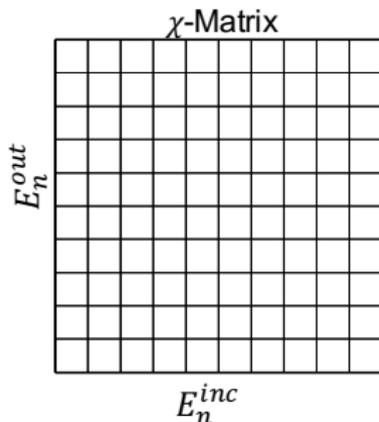


Macro-pulses are comprised of micro-pulses, each  $\sim 150 \text{ ps}$  wide, separated usually by  $\sim 1.8 \mu\text{s}$

# Chi-Nu Goals, Method, and Challenges

## Goals

- Measure the neutron  $\chi$ -matrix
- $^{252}\text{Cf}$ ,  $^{235}\text{U}$ ,  $^{239}\text{Pu}$
- PFNS for ranges of  $E_n^{inc}$

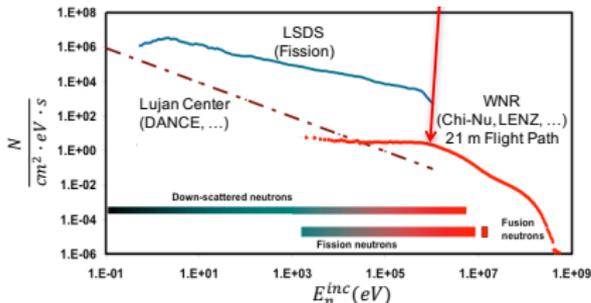
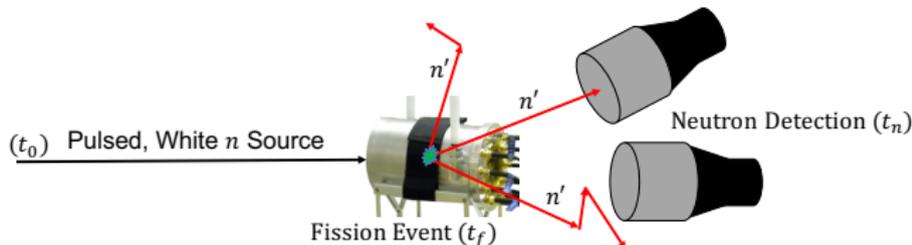


## Method

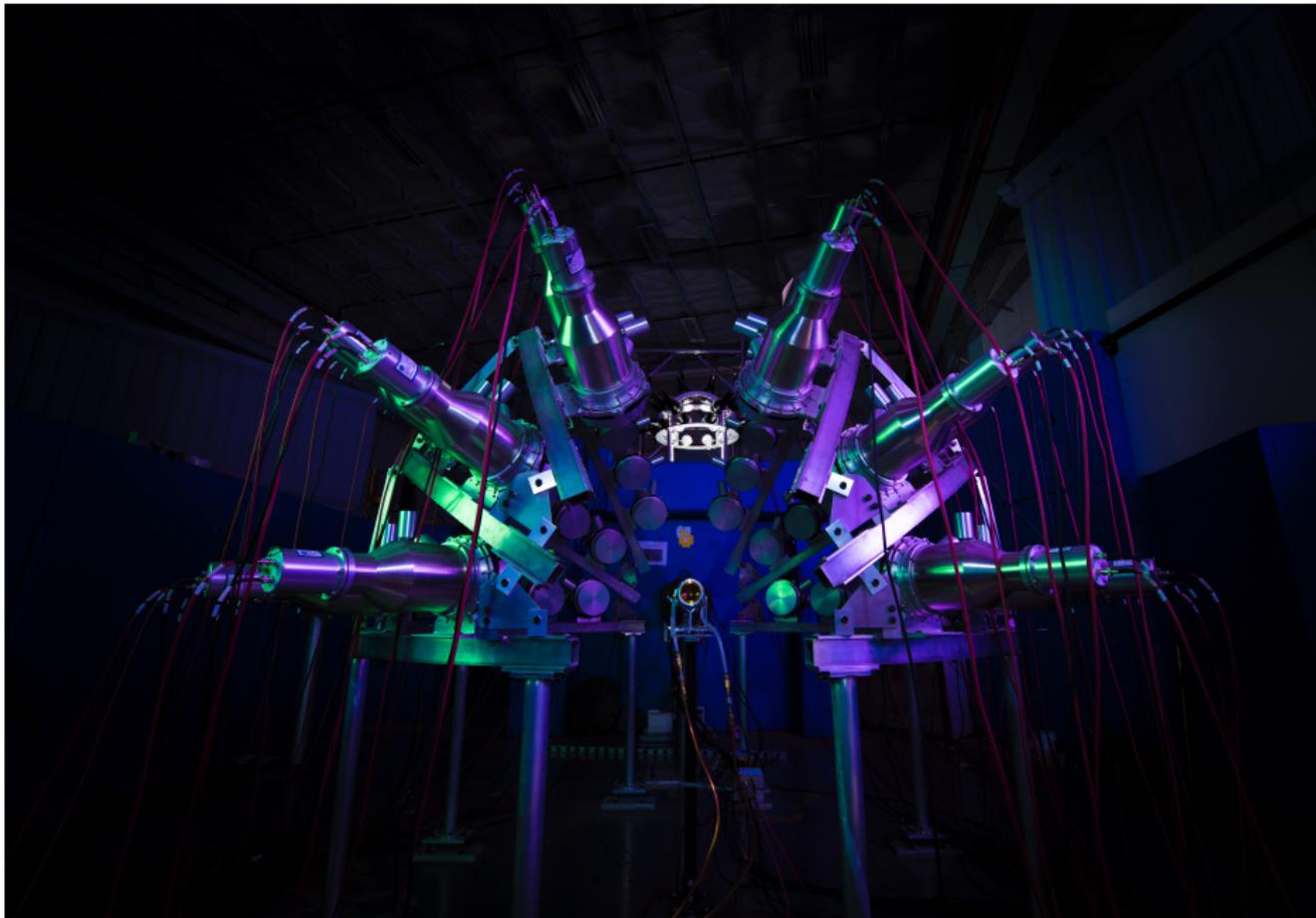
- Double TOF
- PPAC for fission
- $E_n^{out} < 2 \text{ MeV}$ 
  - 22  $^6\text{Li}$ -glass
- $E_n^{out} > 800 \text{ keV}$ 
  - 54 Liquid Scint.

## Challenges

- $E_n^{inc} \geq 0.7 \text{ MeV}$ 
  - $\leq 20 \text{ MeV}$
- $E_n^{out} \geq 0.01 \text{ MeV}$ 
  - $\leq 10 \text{ MeV}$
- Detailed Uncertainties

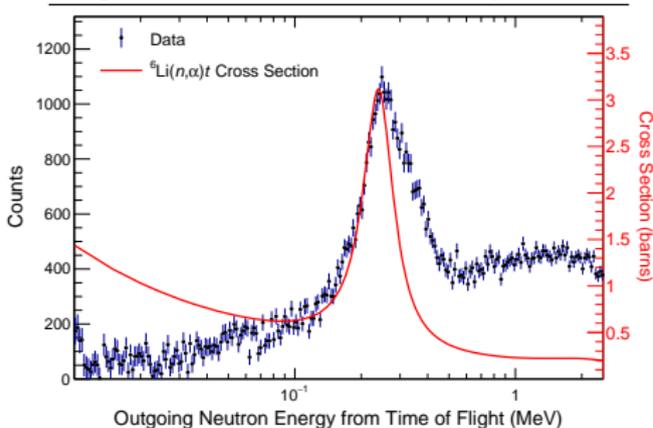


# The Chi-Nu Arrays



# Characterizing the ${}^6\text{Li}$ -glass Detector Response

## ${}^6\text{Li}$ -glass Fission Neutron Spectrum



- ${}^{235}\text{U}$ :  $1.0 \text{ MeV} \leq E_n^{inc} \leq 1.5 \text{ MeV}$
- Large peak in data
  - 240-keV  ${}^6\text{Li}(n, \alpha)t$  resonance
- Background subtracted<sup>†</sup>

$E$  = Initial  $n$  Energy

$E'$  =  $n$  Energy upon Detection

$E_t$  = Measured  $n$  Energy via TOF

$$C(p(E), E_t) = \text{Counts measured at } E_t \\ = \int_{E_t}^{\infty} p(E) \int_0^{\infty} S(E, E', E_t) \epsilon(E') dE' dE$$

$S(E, E', E_t)$  = Scattering Matrix

$p(E)$  = PFNS

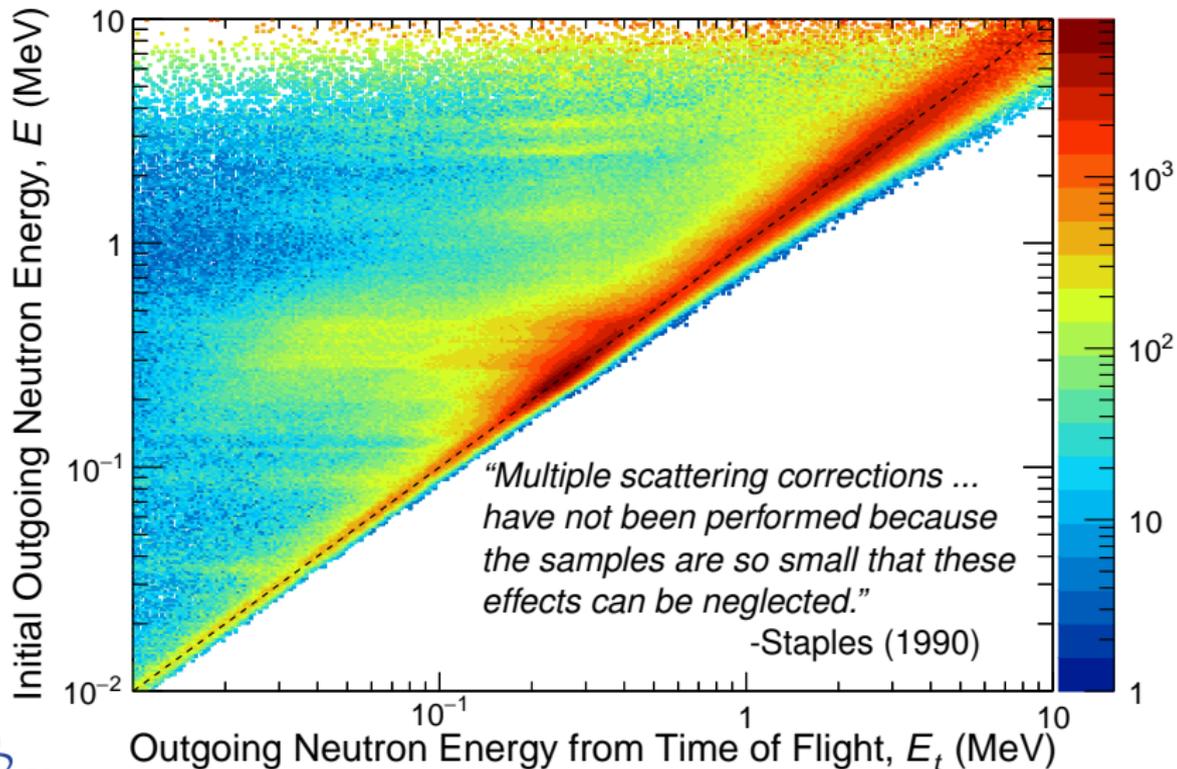
$\epsilon(E')$  = Detector Efficiency at  $E'$

$\mathcal{R}(E, E_t)$  = Response Matrix

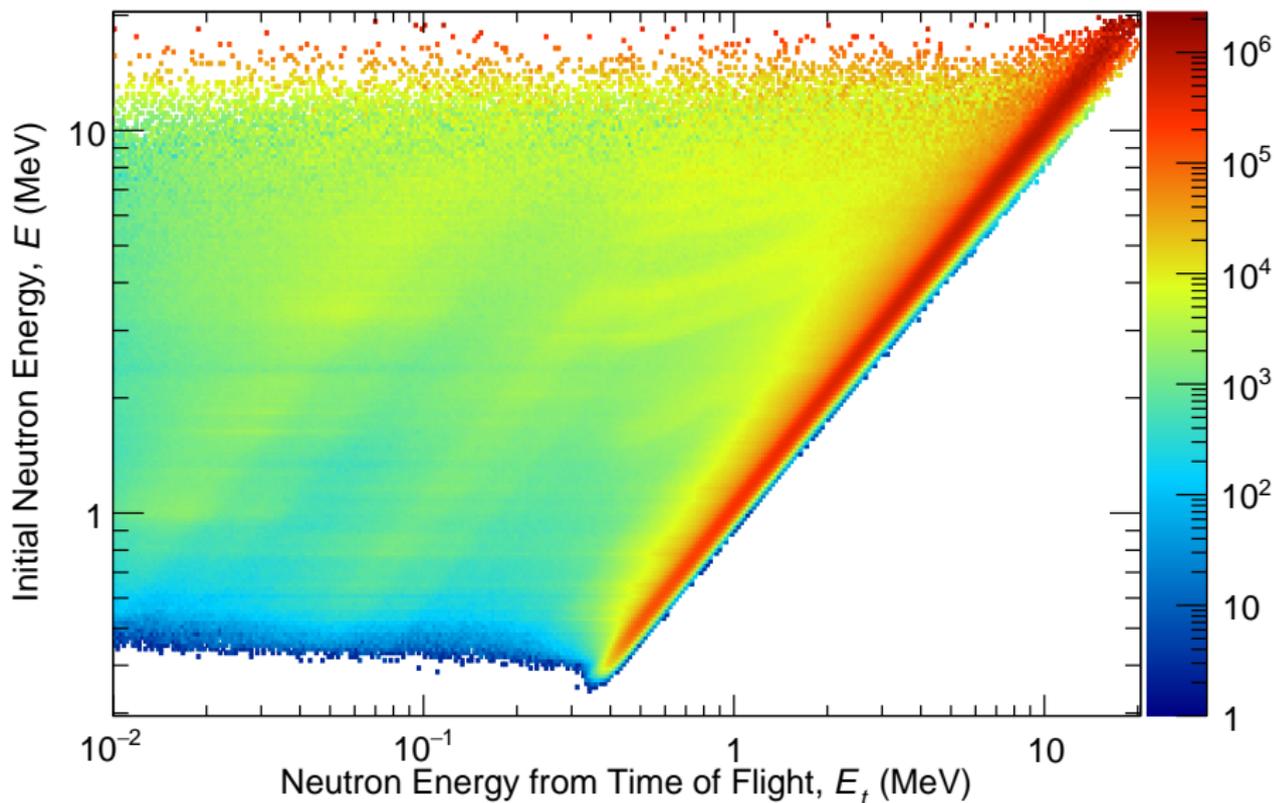
$$\mathcal{R}(E, E_t) = \int_0^{\infty} S(E, E', E_t) \epsilon(E') dE'$$

# MCNP<sup>®</sup> <sup>6</sup>Li-glass Detector Response Matrix, $\mathcal{R}(E, E_t)$

## Detector Response Changes with Experimental Environment



# MCNP<sup>®</sup> Liquid Scintillator Response Matrix

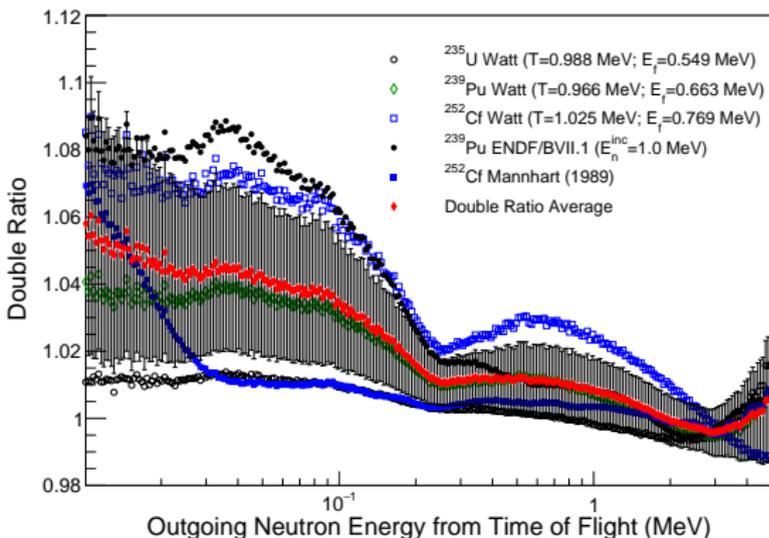


# Method of PFNS Extraction: Ratio-of-Ratios Method†

- Based on the approximate equality of

$$\frac{C(p_\alpha(E), E_t)}{p_\alpha(E_t)} \approx \frac{C(p_\beta(E), E_t)}{p_\beta(E_t)}$$

- True within ~5–10% for a typical PFNS



$D_\alpha =$  Double Ratio

$$= \frac{C(p_\alpha(E), E_t)/p_\alpha(E_t)}{C(p_{\text{maxw}}(E), E_t)/p_{\text{maxw}}(E_t)}$$

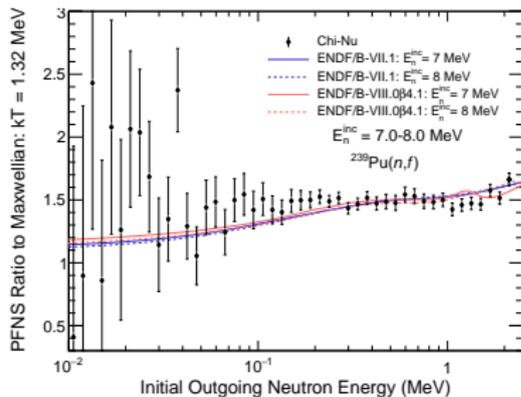
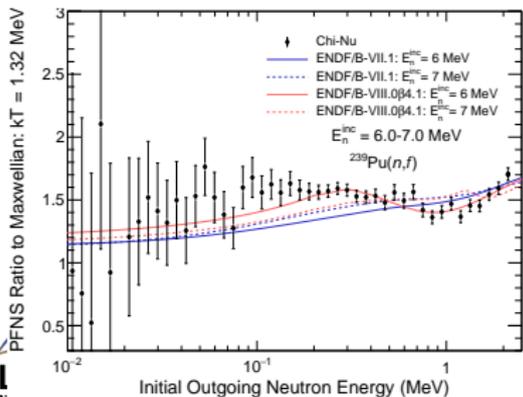
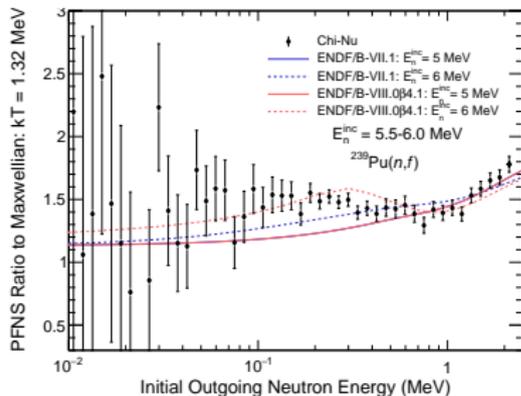
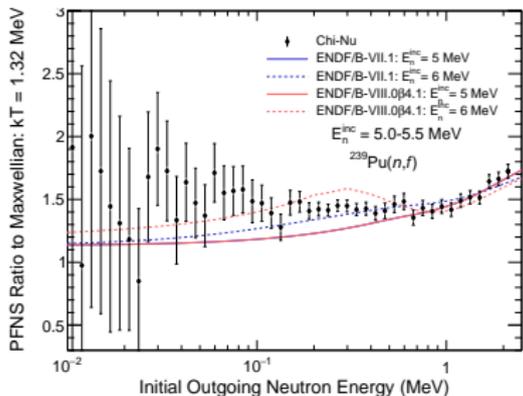
Average over reasonable PFNS range and set equal to the experimental ratio

$$\frac{1}{\kappa} \sum_{\alpha=1}^{\kappa} \frac{C(p_\alpha, E_t)}{p_\alpha(E_t)} = \frac{C(p_{\text{exp}}, E_t)}{p_{\text{exp}}(E_t)}$$

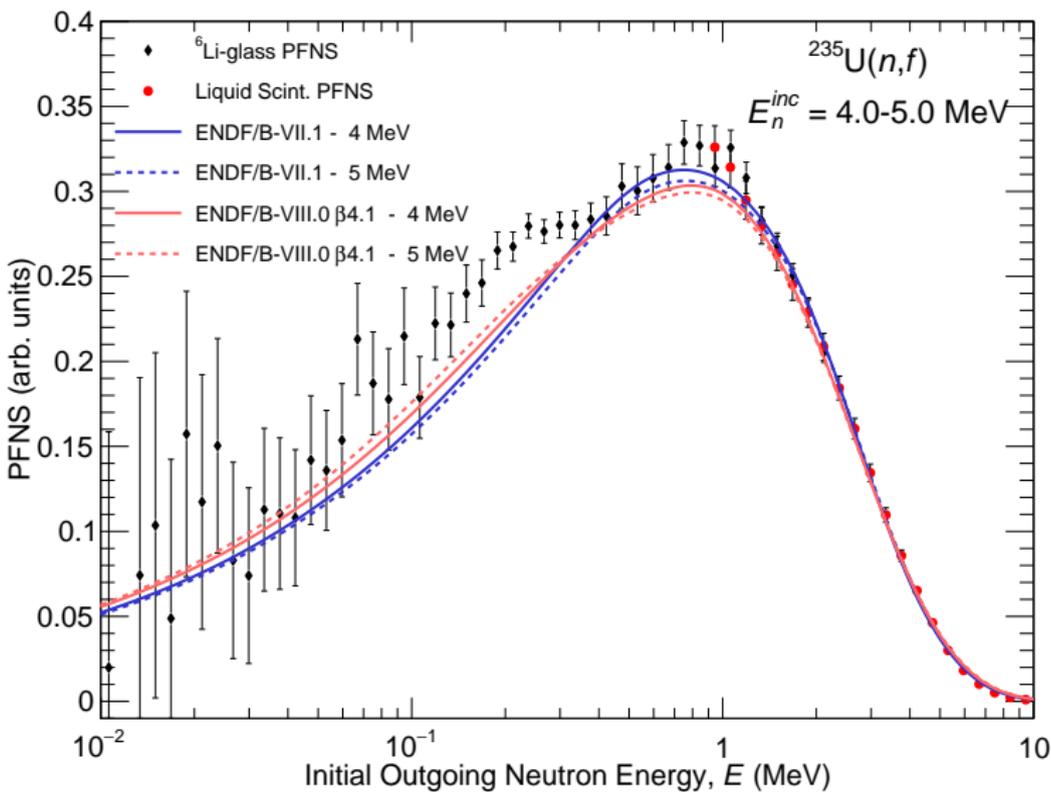
$$\Rightarrow p_{\text{exp}}(E) = \frac{C(p_{\text{exp}}, E_t)}{\frac{1}{\kappa} \sum_{\alpha=1}^{\kappa} \frac{C(p_\alpha, E_t)}{p_\alpha(E_t)}}$$

- Quickly extracts PFNS
- Uncertainties are increased to account for bias towards average PFNS

# Preliminary $^{239}\text{Pu}$ PFNS: 2<sup>nd</sup>-Chance Fission Region



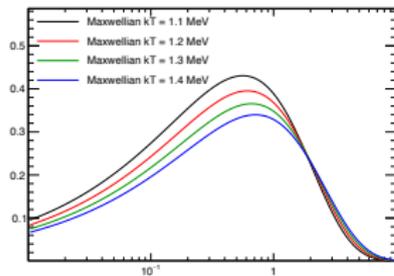
# $^{235}\text{U}$ Combined HE (preliminary) and LE Results



# Future Analyses: Forward Analysis

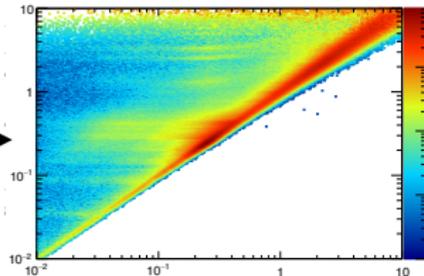
## 1) Create Input Model PFNS

Maxwellian, Watt, Los Alamos Model

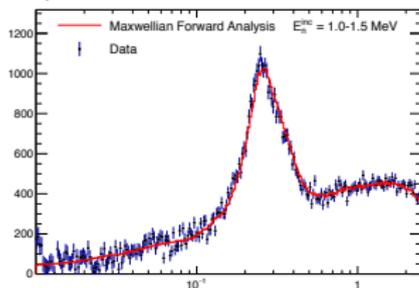


## 2) Create MCNP Output from

Response Matrix

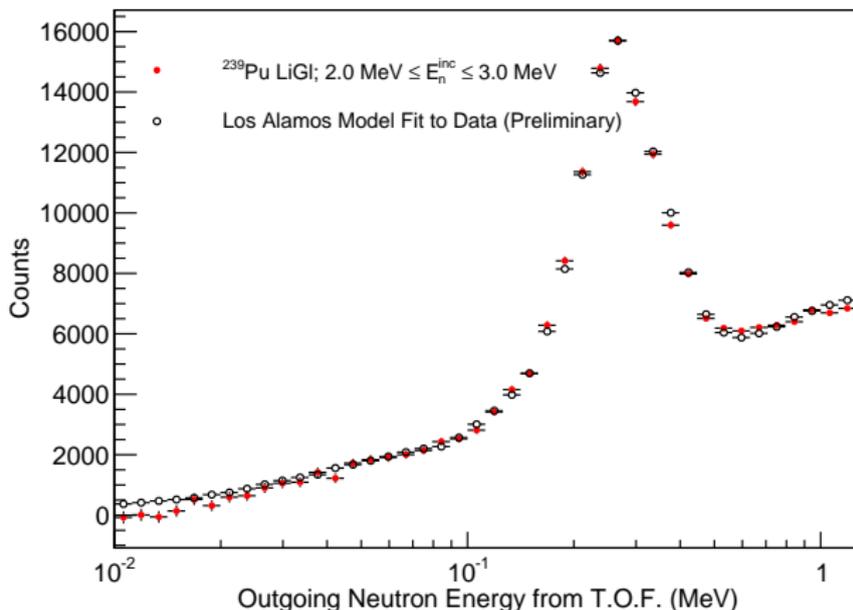


## 3) Compare to Data, Calculate Fit Metric, and Iterate



- Require *entire* PFNS for fit
  - Issue using just LE data
  - Require simultaneous fit to LE and HE data
- Simple models
  - Maxwellian or Watt
- CoH<sub>3</sub><sup>†</sup> Los Alamos Model<sup>††</sup>

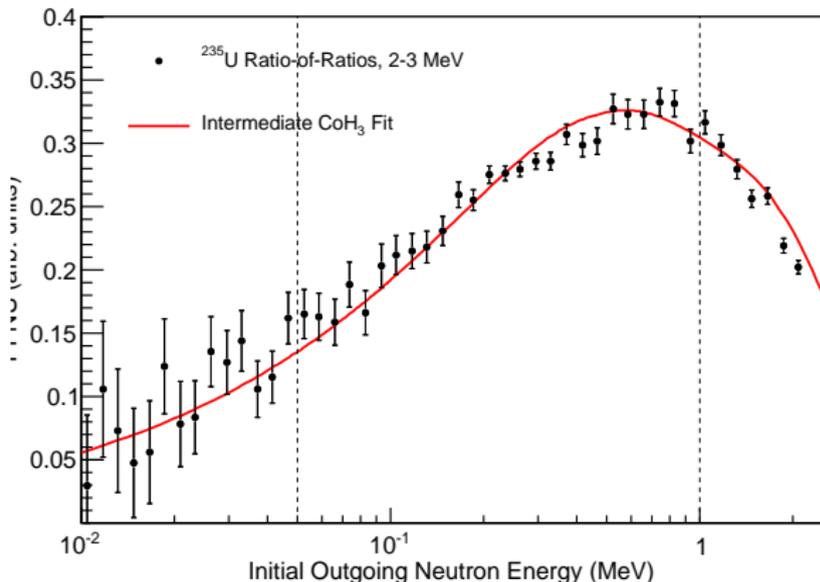
# CoH<sub>3</sub> Los Alamos Model Forward Analysis Progress



- LAM Parameters Varied:
  - $\langle TKE \rangle$ ,  $\langle E_{\gamma}^{tot} \rangle$ , &  $\langle S_n \rangle$
  - $\langle E_r \rangle$  calculated, not fit
  - $s$ ,  $R_{\bar{\nu}}$ ,  $b$ ,  $a_L$ ,  $a_H$
- Fission Barriers *not* fit yet
- Parameters chosen according to Neudecker *et al.* (2016)<sup>†</sup>

- Within each iteration of a ROOT TF1:
  - Run CoH<sub>3</sub>, read in PFNS, Convert PFNS with  $\mathcal{R}(E, E_t)$ , compare to data
- Fission barrier heights will be varied in multi-chance fission regions

# CoH<sub>3</sub> Los Alamos Model Forward Analysis Progress



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# Future Directions

- Systematic Uncertainties:
  - MCNP<sup>®</sup> nuclear physics
  - Background normalization
  - Other sources
- More sophisticated analyses
  - Forward Analysis
  - Unfolding
- Finalize HE analysis of  $^{235}\text{U}$
- Finalize LE analysis of  $^{239}\text{Pu}$
- Analyze HE  $^{239}\text{Pu}$  data

